

# Lesson 6 3 Conditions For Parallelograms Worksheet Answers

Geometry  
Notes 6.3

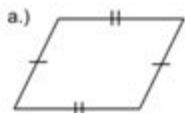
Conditions for Parallelograms

1. Both pairs opp. sides  $\parallel$  (defn)
2. One pair opp sides  $\parallel$  and  $\cong$ .
3. Both pairs opp sides  $\cong$ .
4. Both pairs opp  $\angle$ 's  $\cong$ .
5. One  $\angle$  is supp to both of its consecutive  $\angle$ 's.
6. Diagonals bisect each other

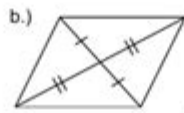
(Converse  
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Thms  
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...then the quadrilateral is a parallelogram. \* only need to satisfy one of these 6 prop's

Determine whether or not enough information is given to determine the quadrilateral is a parallelogram. If yes, state the reason.



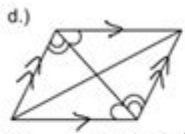
Yes - both pairs  $\cong$



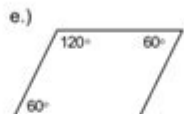
Yes - diagonals bisect



No - same pair must be  $\parallel$  and  $\cong$



Yes - opp sides  $\parallel$



Yes  $120^\circ$  is supp to both consecutive  $\angle$ 's



Yes - SAS & CPCTC

Example 1: What value of  $x$  and  $y$  will make the quadrilateral a parallelogram?

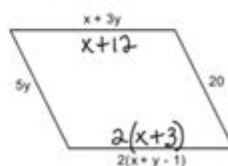
$$5y = 20$$

$$y = 4$$

$$x + 12 = 2(x + 3)$$

$$x + 12 = 2x + 6$$

$$6 = x$$



Lesson 6: 3 Conditions for Parallelograms Worksheet Answers is a crucial topic in understanding the properties of quadrilaterals, particularly parallelograms. This lesson focuses on identifying and applying the three essential conditions that determine whether a quadrilateral is a parallelogram. These conditions are foundational in geometry and can greatly assist students in solving problems related to shapes, angles, and sides. In this article, we will delve into the details of these conditions, explore the worksheet answers, and provide examples to reinforce understanding.

# The Three Conditions for Parallelograms

In geometry, a parallelogram is defined as a four-sided figure (quadrilateral) where opposite sides are parallel and equal in length. To determine whether a given quadrilateral is a parallelogram, we can rely on three specific conditions:

## 1. Opposite Sides are Equal

The first condition states that if both pairs of opposite sides of a quadrilateral are equal in length, then the quadrilateral is a parallelogram. This property can be expressed mathematically as follows:

- If  $(AB = CD)$  and  $(BC = AD)$ , then quadrilateral  $(ABCD)$  is a parallelogram.

To illustrate this condition with an example:

- Consider quadrilateral  $(ABCD)$  where  $(AB = 5)$  cm,  $(BC = 7)$  cm,  $(CD = 5)$  cm, and  $(AD = 7)$  cm. Since  $(AB = CD)$  and  $(BC = AD)$ , we can conclude that  $(ABCD)$  is a parallelogram.

## 2. Opposite Angles are Equal

The second condition states that if both pairs of opposite angles in a quadrilateral are equal, then the quadrilateral is a parallelogram. This can be stated as:

- If  $(\angle A = \angle C)$  and  $(\angle B = \angle D)$ , then quadrilateral  $(ABCD)$  is a parallelogram.

For example:

- In quadrilateral  $(ABCD)$ , if  $(\angle A = 60^\circ)$  and  $(\angle C = 60^\circ)$ , while  $(\angle B = 120^\circ)$  and  $(\angle D = 120^\circ)$ , we can affirm that  $(ABCD)$  is a parallelogram.

## 3. Diagonals Bisect Each Other

The third condition states that if the diagonals of a quadrilateral bisect each other, then the quadrilateral is a parallelogram. This means that:

- If diagonals  $(AC)$  and  $(BD)$  intersect at point  $(E)$ , and  $(AE = EC)$  and  $(BE = ED)$ , then quadrilateral  $(ABCD)$  is a parallelogram.

For instance:

- In quadrilateral  $(ABCD)$ , if diagonal  $(AC)$  is divided into two equal segments by point  $(E)$  (i.e.,  $(AE = EC)$ ), and diagonal  $(BD)$  is also divided into two equal segments (i.e.,  $(BE = ED)$ ), then it can be concluded that  $(ABCD)$  is a parallelogram.

## Applying the Conditions: The Worksheet Answers

When students work through the Lesson 6: 3 Conditions for Parallelograms Worksheet, they are typically presented with various quadrilaterals and asked to determine whether each is a parallelogram by applying the three conditions mentioned above. Below, we explore a few sample worksheet questions along with their answers.

### Sample Questions

1. Question 1: Given quadrilateral  $(PQRS)$  where  $(PQ = 8)$  cm,  $(QR = 6)$  cm,  $(RS = 8)$  cm, and  $(SP = 6)$  cm. Determine if  $(PQRS)$  is a parallelogram.

- Answer: Yes,  $(PQRS)$  is a parallelogram because the opposite sides are equal ( $(PQ = RS)$  and  $(QR = SP)$ ).

2. Question 2: In quadrilateral  $(WXYZ)$ , the angles are given as  $(\angle W = 70^\circ)$ ,  $(\angle X = 110^\circ)$ ,  $(\angle Y = 70^\circ)$ , and  $(\angle Z = 110^\circ)$ . Is  $(WXYZ)$  a parallelogram?

- Answer: Yes,  $(WXYZ)$  is a parallelogram since the opposite angles are equal ( $(\angle W = \angle Y)$  and  $(\angle X = \angle Z)$ ).

3. Question 3: For quadrilateral  $(ABCD)$ , the diagonals  $(AC)$  and  $(BD)$  intersect at point  $(E)$ , where  $(AE = 4)$  cm,  $(EC = 4)$  cm,  $(BE = 3)$  cm, and  $(ED = 3)$  cm. Is  $(ABCD)$  a parallelogram?

- Answer: Yes,  $(ABCD)$  is a parallelogram because the diagonals bisect each other ( $(AE = EC)$  and  $(BE = ED)$ ).

## Understanding the Importance of Conditions

Understanding these conditions is not only crucial for identifying parallelograms but also essential for solving more complex geometric problems. Here are several reasons why mastering these conditions is beneficial:

- **Foundation for Advanced Concepts:** Knowledge of parallelograms serves as a foundation for learning about more complex shapes, such as rhombuses, rectangles, and squares, all of which are special cases of parallelograms.
- **Problem-Solving Skills:** Applying these conditions enhances students' analytical skills and their ability to solve mathematical problems effectively.
- **Real-World Applications:** Understanding parallelograms is vital in various fields such as architecture, engineering, and design, where these shapes frequently appear.

## Conclusion

In summary, Lesson 6: 3 Conditions for Parallelograms Worksheet Answers is an essential topic in geometry that emphasizes the characteristics that define parallelograms. By mastering the three conditions—opposite sides being equal, opposite angles being equal, and diagonals bisecting each other—students can confidently identify parallelograms and apply this knowledge to solve geometric problems. As students continue their education in mathematics, the skills developed in this lesson will be instrumental in tackling more advanced concepts and real-world applications.

## Frequently Asked Questions

### **What are the three conditions to prove that a quadrilateral is a parallelogram?**

The three conditions are: 1) Opposite sides are equal, 2) Opposite angles are equal, and 3) The diagonals bisect each other.

### **How can you use the properties of parallelograms to solve problems in a worksheet?**

You can apply the properties such as side lengths, angle measures, and diagonal relationships to find missing values or to verify if a quadrilateral is a parallelogram.

### **In Lesson 6.3, what is the significance of proving that opposite angles are congruent?**

Proving that opposite angles are congruent is one of the conditions that confirms the quadrilateral is a parallelogram, indicating that it has specific properties such as parallel sides.

## What is the role of bisecting diagonals in identifying parallelograms?

If the diagonals of a quadrilateral bisect each other, it is a condition that confirms the shape is a parallelogram, as this property is unique to parallelograms.

## Can you provide an example of a problem involving two pairs of parallel sides?

If a quadrilateral has two pairs of opposite sides that are both parallel, it meets one of the conditions for a parallelogram. You can then use this information to solve for angles or lengths in your worksheet.

## What is the relationship between the sides and angles of a parallelogram as seen in the worksheet?

In a parallelogram, opposite sides are equal in length, and opposite angles are equal in measure. Additionally, consecutive angles are supplementary.

## How can using a coordinate plane help with parallelogram problems in the worksheet?

Using a coordinate plane allows you to apply the distance formula and slope formula to verify the properties of sides and angles, making it easier to prove if a quadrilateral is a parallelogram.

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Unlock the secrets of parallelograms with our Lesson 6 3 Conditions for Parallelograms worksheet answers. Discover how to master these concepts today!

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